

The subatomic components of thought

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Issues

- Associative memory vs partial matching
- Math vs. process
 - Latency = $f(\text{Activation})$
 - Error = $f(\text{Activation})$
 - Competitive latency
- Base-level learning

$$B = \ln\left(\frac{n}{\sqrt{T}}\right) \longrightarrow B = \log\left(\sum_{i=1}^m t_{n-i}^{-d} + \frac{(n-m)(t_0^{1-d} - t_{n-m}^{1-d})}{(1-d)(t_0 - t_{n-m})}\right)$$

7 ± 2 sources of confusion

- | | | |
|----|----------------------|--------------------|
| 1. | Associative memory | Partial matching |
| 2. | Context effects | Gradient effects |
| 3. | Associative links | Similarity |
| 4. | Diffuse priming | Constrained match |
| 5. | Semantic/temporal | Psychophysical |
| 6. | Arbitrary addressing | Content addressing |
| 7. | Chunk as cue | Slot+value as cue |

Learnability constraint

- How are associations learned?
 - Temporal co-occurrence of declarative items
 - C.f., Aristotle, Hume, etc.
 - Search for constraints on Sjis
 - Bayesian approach was strike 1
- How are similarities learned?
 - ACT-R: just another just-so story

Observations

- Misconception: Associative links are symbolic, clean, “sharp-edged”
 - Activation + noise + associative learning = gradient representations
- Experience (time) is effectively continuous
 - Semantic representations emerge from 10^7 events
 - E.g., Latent semantic analysis
- Gradient effects with associative priming...

Cognitive arithmetic

(ACT 98, p. 78)

Answer

Problem

	0	1	2	3	4	5	6	7	8	Other
A&L 98 (100 runs):										
1+1	0	0.16	0.81	0.03	0	0	0	0	0	0
1+2	0	0.01	0.23	0.69	0.04	0.01	0	0	0	0.02
1+3	0	0	0.01	0.15	0.77	0.04	0	0	0	0.02
2+2	0	0	0.09	0.14	0.72	0.02	0	0	0	0.02
2+3	0	0	0.01	0.09	0.18	0.54	0.08	0.01	0	0.09
3+3	0	0	0	0.05	0.08	0.08	0.66	0.02	0	0.11
Siegler:										
1+1	0	0.05	0.86	0	0.02	0	0.02	0	0	0.06
1+2	0	0.04	0.07	0.75	0.04	0	0.02	0	0	0.09
1+3	0	0.02	0	0.1	0.75	0.05	0.01	0.03	0	0.06
2+2	0.02	0	0.04	0.05	0.8	0.04	0	0.05	0	0
2+3	0	0	0.07	0.09	0.25	0.45	0.08	0.01	0.01	0.06
3+3	0.04	0	0	0.05	0.21	0.09	0.48	0	0.02	0.11
EMA (100 runs):										
1+1	0	0.04	0.86	0.02	0.03	0.02	0.02	0	0	0
1+2	0	0.01	0.11	0.8	0.03	0.02	0.01	0	0	0.01
1+3	0	0.02	0.13	0.02	0.78	0.03	0.01	0	0	0.01
2+2	0	0	0.04	0.12	0.8	0.02	0.02	0	0	0
2+3	0	0	0.01	0.08	0.13	0.59	0.03	0.01	0	0.15
3+3	0	0	0	0.07	0.27	0.06	0.57	0.01	0.02	0

Partial matching:

RMSE = 0.050

$R^2 = 0.94$

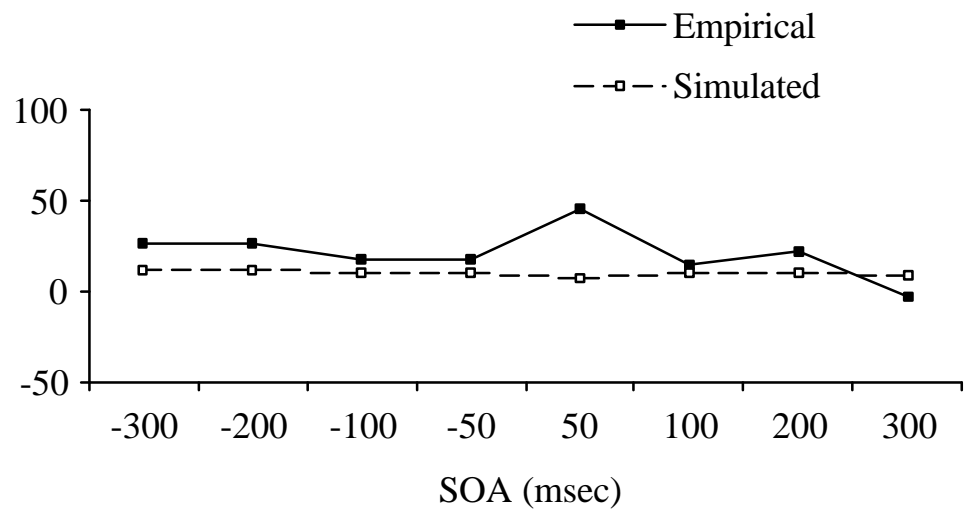
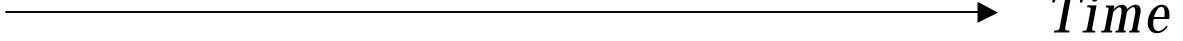
No partial matching:

RMSE = 0.046

$R^2 = 0.96$

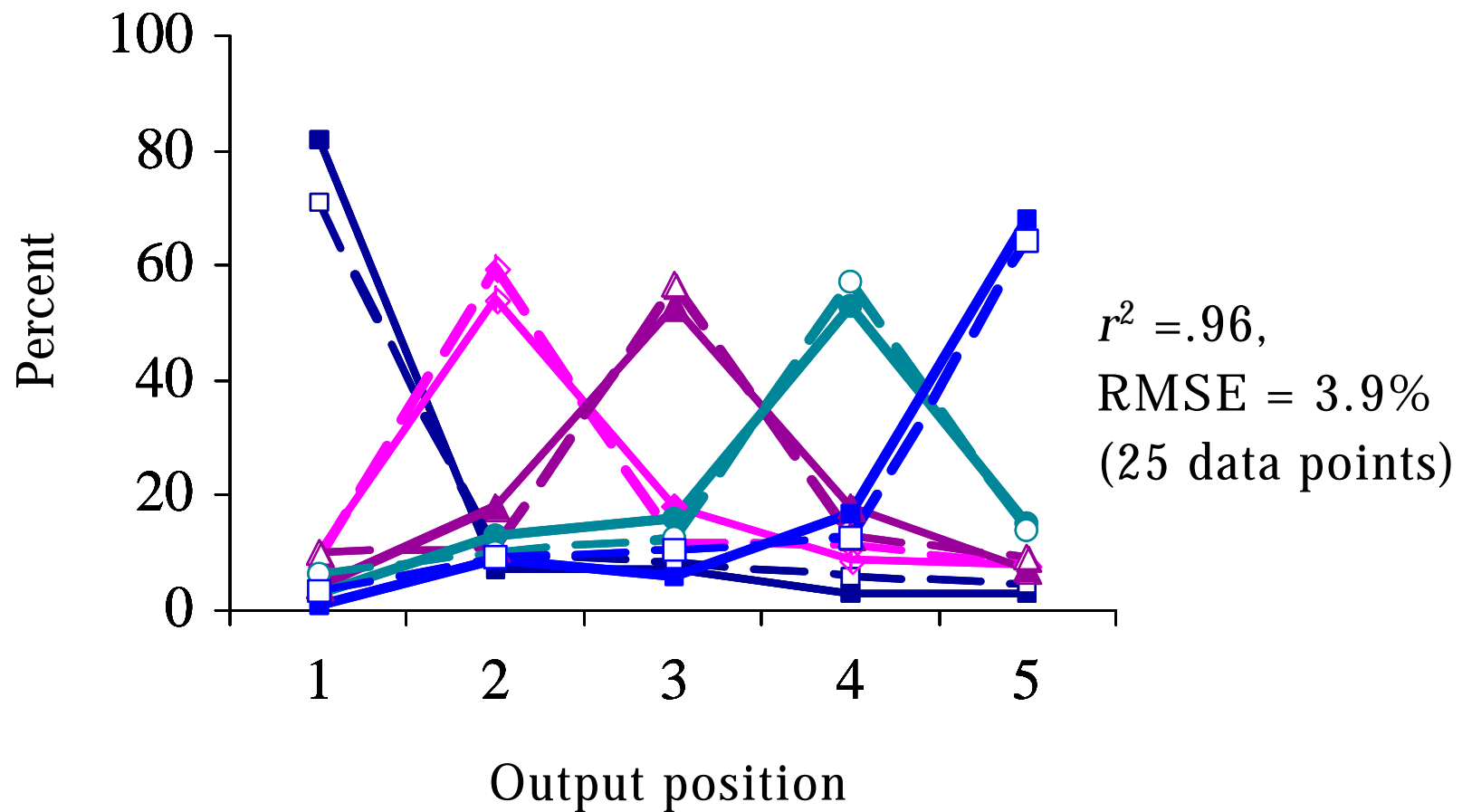
Semantic gradient

Lawn



Temporal gradients

(Nairne, 92)



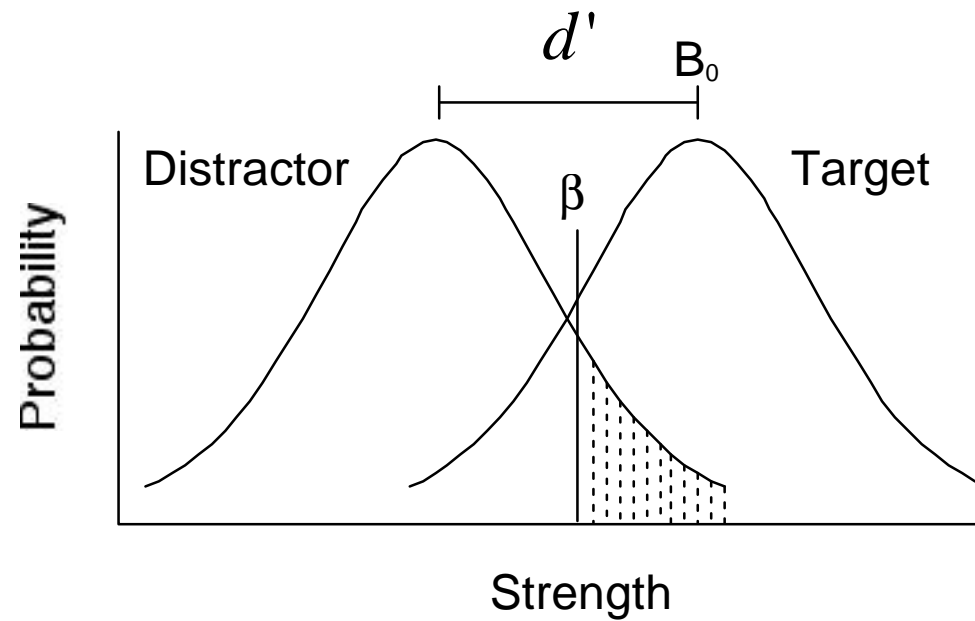
Comments

- Leave S_{ji} 's open (as similarities are now)
- Tackle psychophysical effects directly
 - Clock faces, hues, faces, ...
 - Have we used partial matching on these?
- Listen to the architecture!
 - What can 10^7 co-occurrences buy you?
- Throw away partial matching
 - Don't need it, don't want it, can't explain it

Know the equation, but ...

- What's the process linking activation to latency? To error?
 - Random walk models have an answer
- What process mediates the effect of distractors on the target?
 - Is there a competitive latency process?

Memory as signal detection



A retrieval process

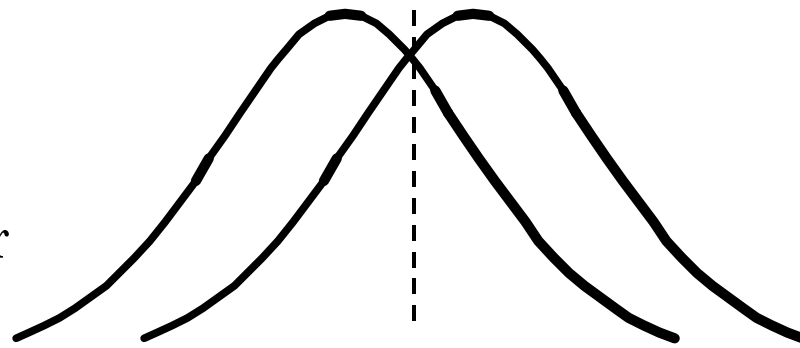
- Retrieve the most active item
- If you can recognize the target, and the retrieved item is not it, and there's time to try again, then attempt retrieval again
- Else stop and output item to next process

Characteristics

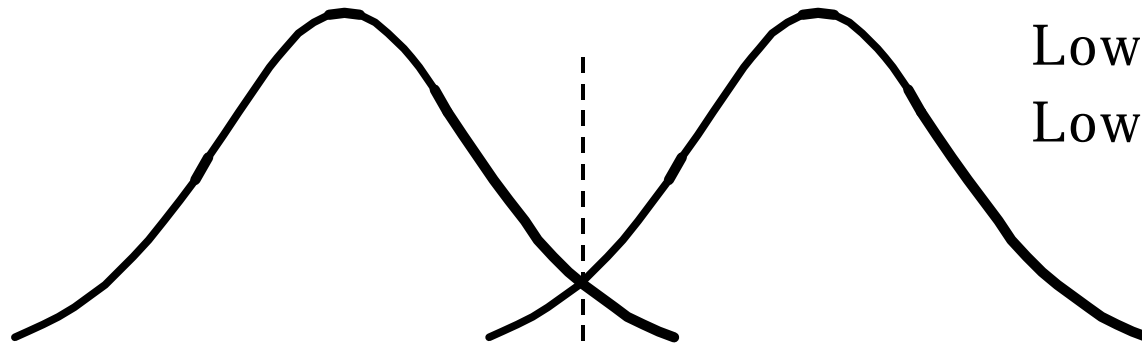
- Latency predicted by number of attempts
 - Each retrieval is constant time
- Errors predicted by intrusions
 - If you don't know what you're looking for
 - If you know, but run out of time
- Activation dynamics constrain parameters
 - Errors feed forward
 - Retrieval threshold and number of attempts

(Competitive) latency and error

The latency transfer
function (e.g.,
Murdock, 65)



High latency,
High error

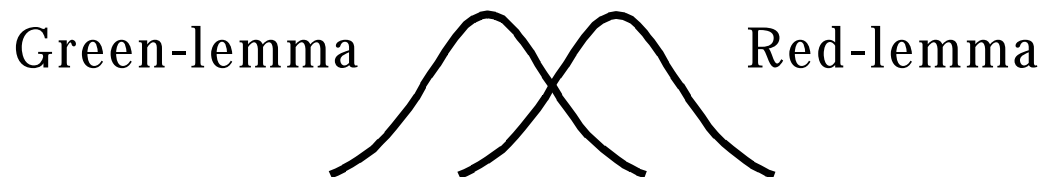


Low latency,
Low error

Target recognizable



- Speech production depends on lemmas
 - Word-sized syntactic units
- “Green” activates a lemma automatically
 - Green-lemma interferes with red-lemma

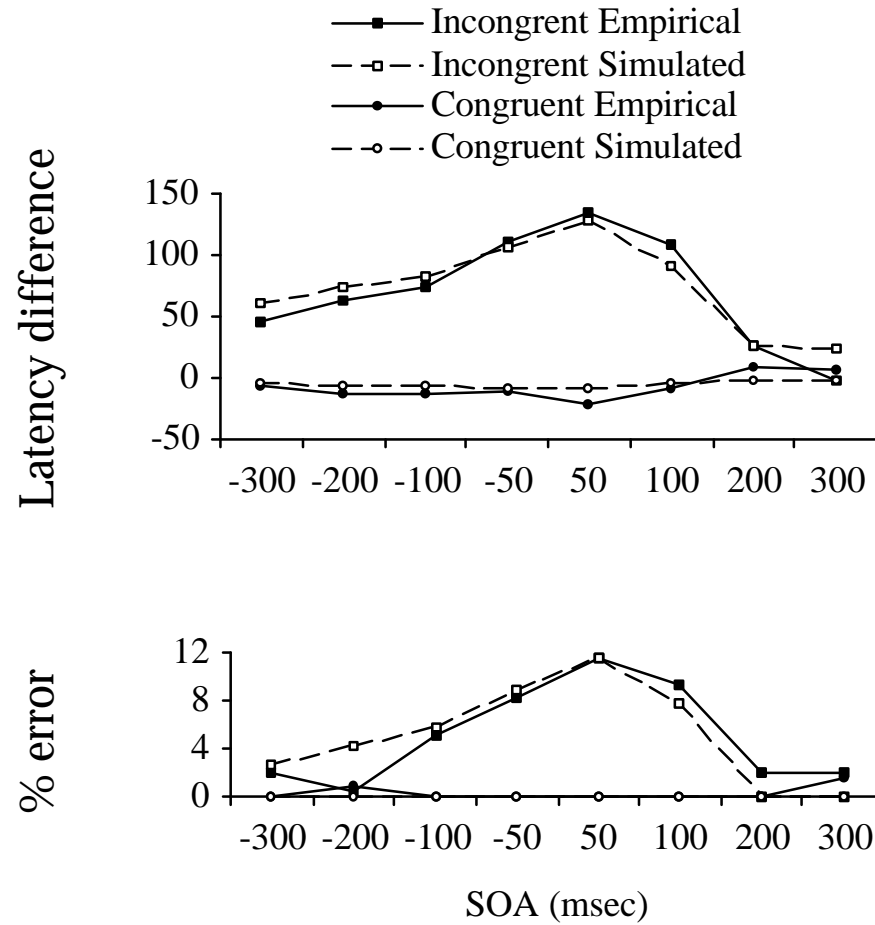


- Can compare the target lemma to the stimulus

A retrieval process

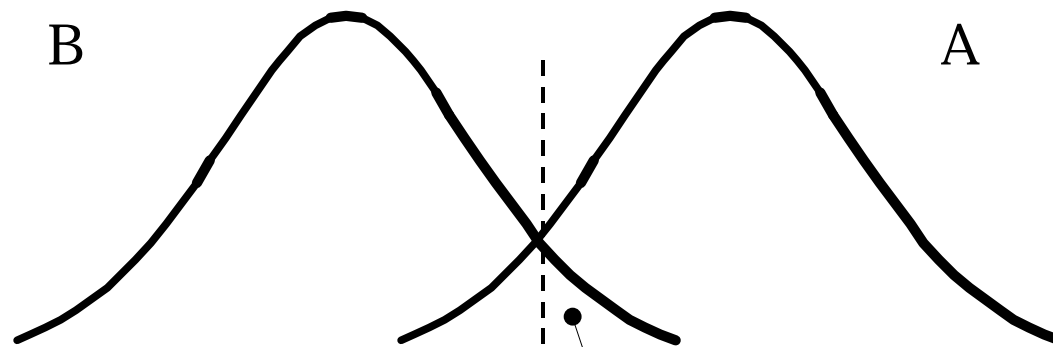
- Retrieve the most active item
- If you can recognize the target, and the retrieved item is not it, and there's time to try again, then attempt retrieval again
- Else stop and output item to next process
- *Prediction:* Error and latency should both increase with interference

Data from Glaser and Glaser (1989)



Target unknown

AaaaaaaBbbbbbbAaaaaaaAaaaaaa ...

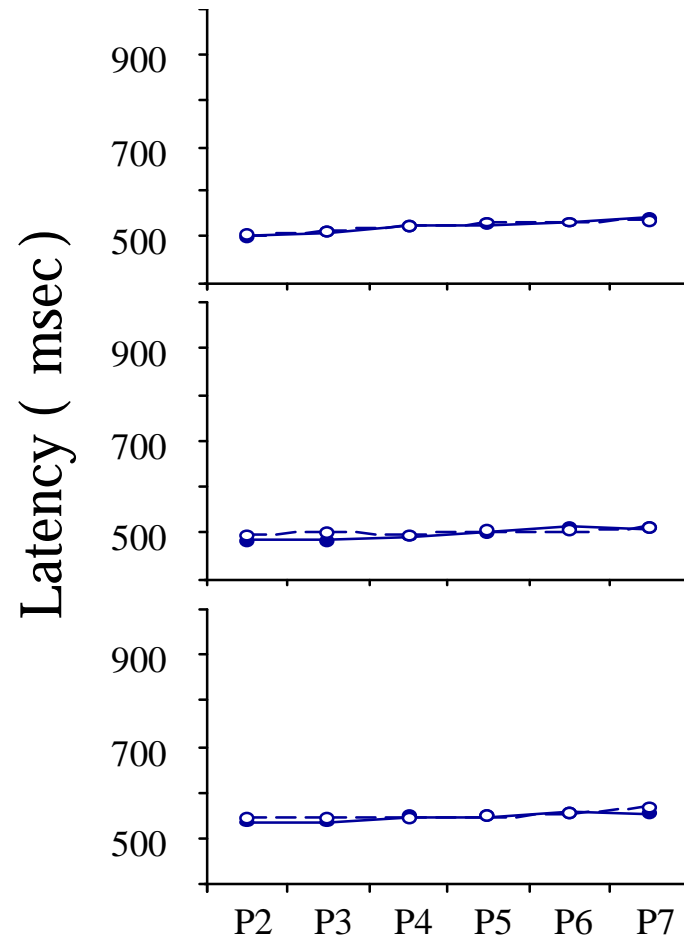
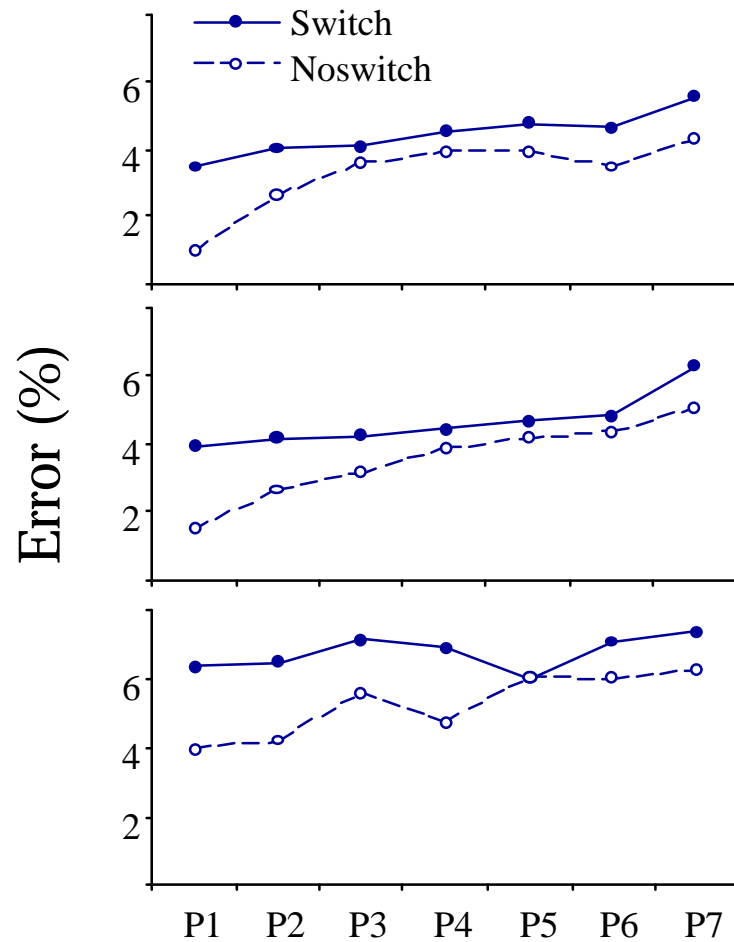


Probability of B interfering
No way to know when B intrudes

A retrieval process

- Retrieve the most active item
- If you can recognize the target, and the retrieved item is not it, and there's time to try again, then attempt retrieval again
- Else stop and output item to next process
- *Prediction*: Error but not latency should increase with interference

Target unknown



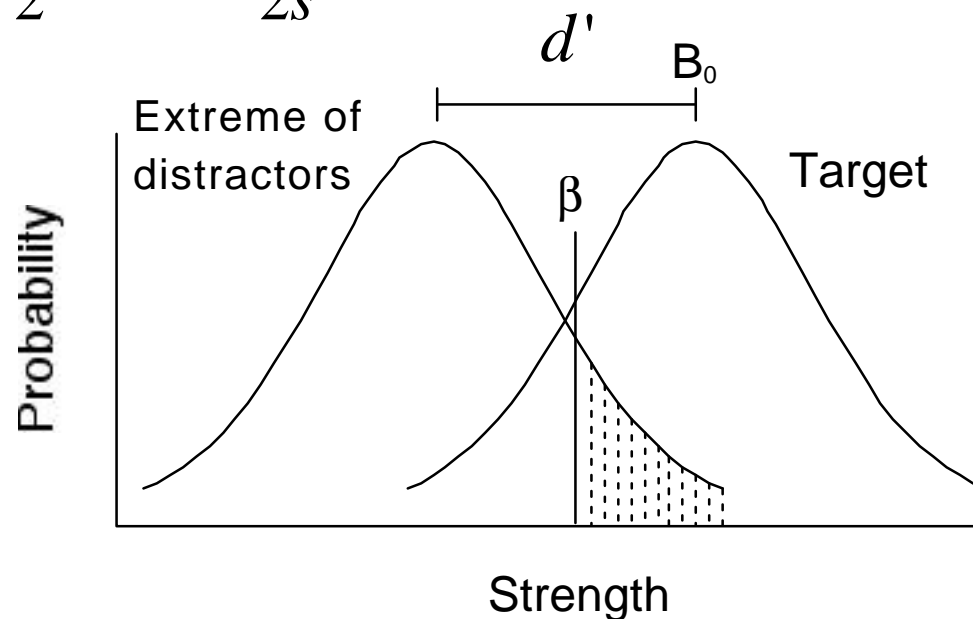
Comments

- Competitive latency for analytical models
- A retrieval process for process models
 - Do the math
 - Do distributional analysis

How to compute activation?

$$B = \ln(n) - \frac{\ln(t)}{2} - s \ln\left(\frac{1}{2s} - 1\right)$$

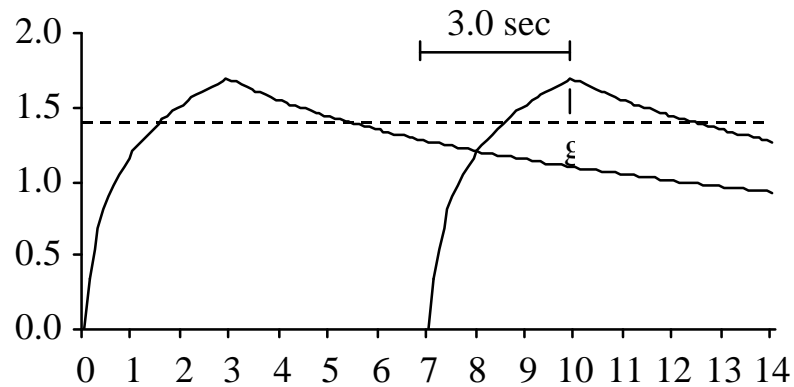
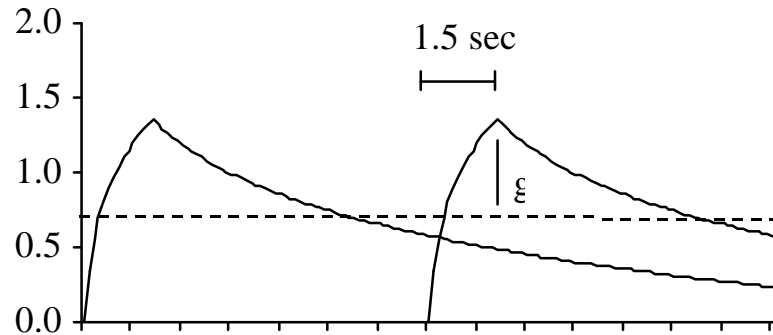
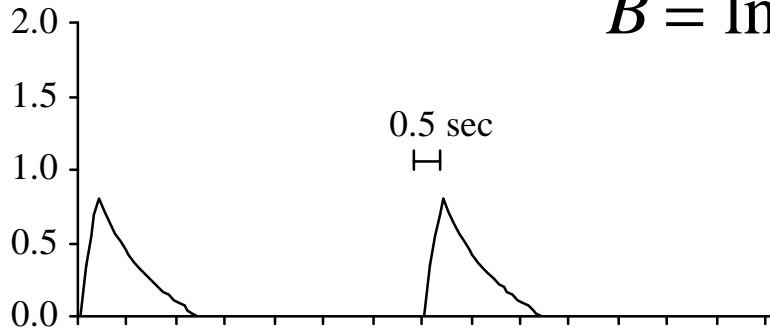
$$B = \ln\left(\frac{n}{\sqrt{T}}\right)$$



plus an instance representation

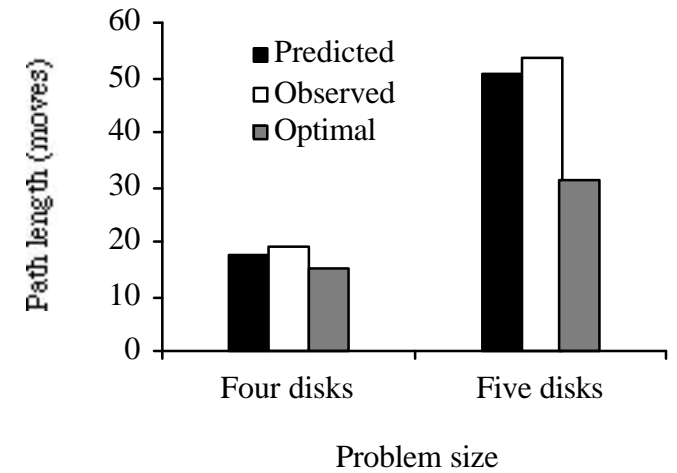
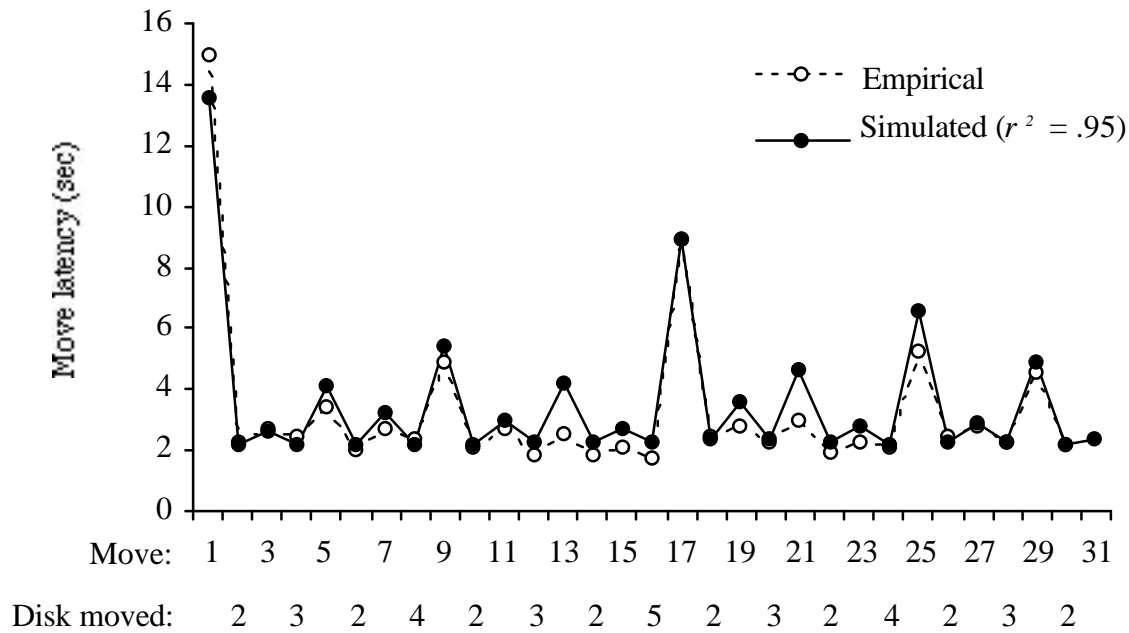
$$B = \log\left(\sum_{i=1}^m t_{-i} + \frac{(n-m)(t_0^{1-d} - t_{n-m}^{1-d})}{(1-d)(t_0 - t_{n-m})}\right)$$

$$B = \ln\left(\frac{n}{\sqrt{T}}\right)$$



Implications:
 Short-term sensitivity
 Encoding time predictions
 PAS is unnecessary

Data from Anderson et al (1993)



Comments

- Optimized learning may be the better model
 - Computationally, analytically, pedagogically tractable
 - More accurate
- Instance-based representation has other useful implications
 - Time to strengthen an instance